







The EPSRC and DoHSC Future Vaccines Manufacturing Research Hub:

Modelling tools to understand the dynamics of vaccines manufacturing and supply chains in developing countries

Professor Harris Makatsoris

25/06/2019

www.cranfield.ac.uk



Introduction to the Imperial Future Vaccine Manufacturing Research Hub













Biological E. Limited Celebrating Life Every Day



Developing Countries Vaccine

Manufacturers Network





- How to design production systems that can produce **tens of thousands of new doses within weeks** of a new threat being identified
- How to improve the way vaccines are manufactured, stabilised and stored so that existing and new diseases can be prevented effectively, and costs reduced

Goal: advancing the manufacture and deployment of cost effective vaccines

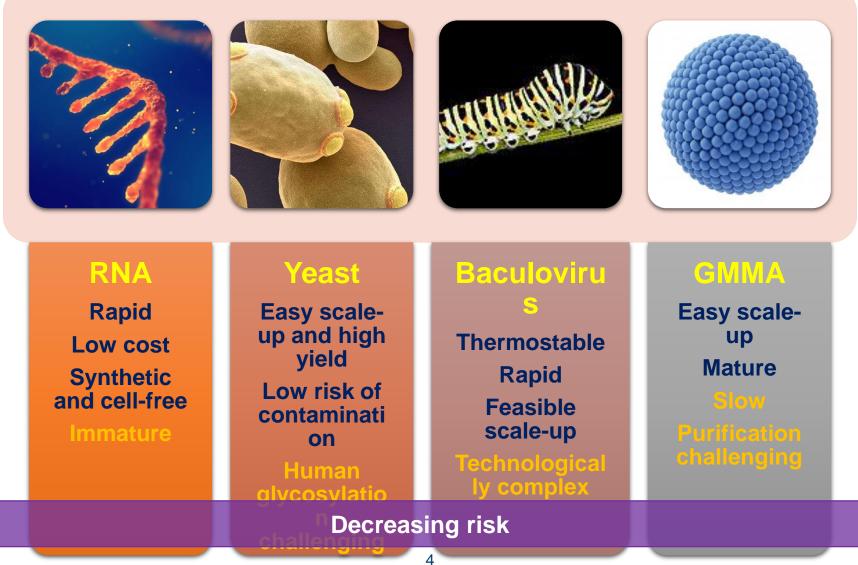
Imperial College

London

EPSRC Engineering and Physical Sciences Research Council

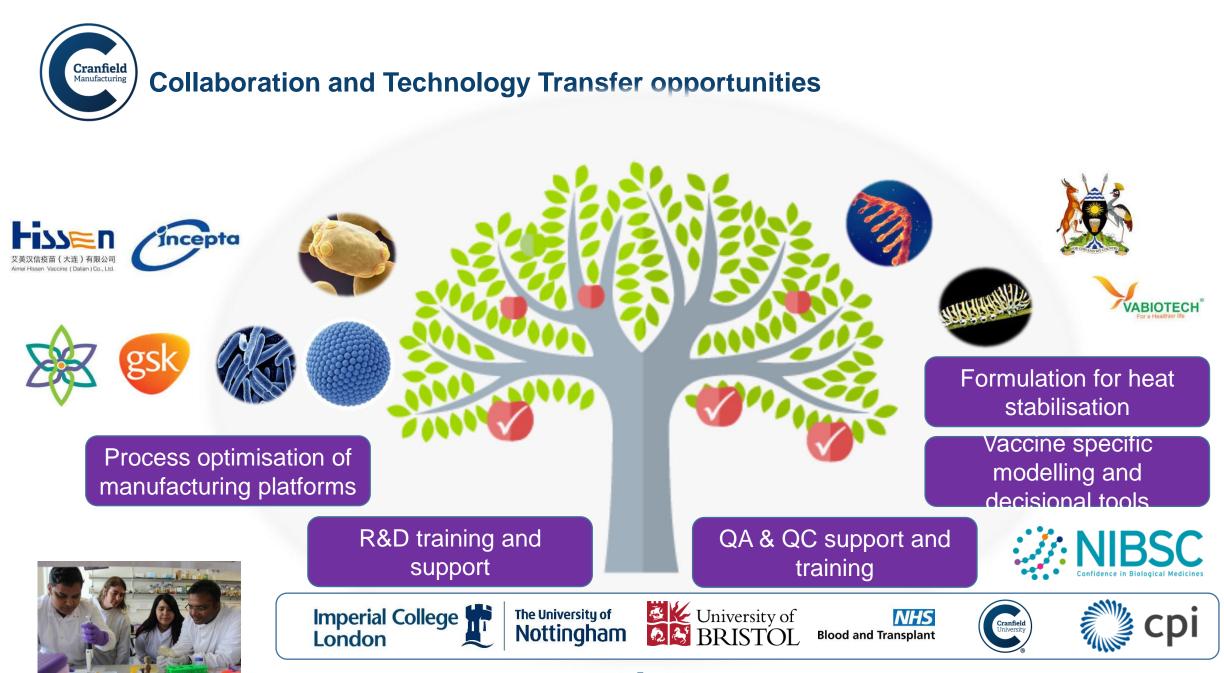


The Hub's vaccine technology platforms



EPSRC Engineering and Physical Sciences Research Council

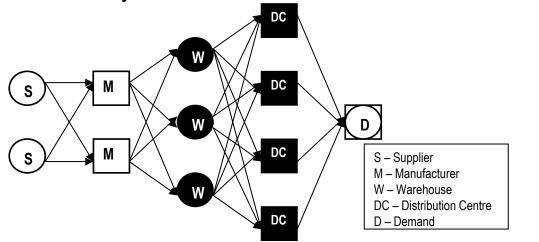
Imperial College London



Training researchers from Incepta in Baħgladesh, in Dr Karen Polizzi's labs at Imperial College London



- What is a Supply Chain?
 - The alignment of firms' activities to bring products or services to market
 - Linked by counter-current flow of material and information



Supply Chain Management

"The systemic, strategic coordination of the traditional business functions and the tactics across these business functions within a particular company and across businesses within the supply chain, for the purposes of improving the long- term performance of the individual companies and the supply chain as a whole."

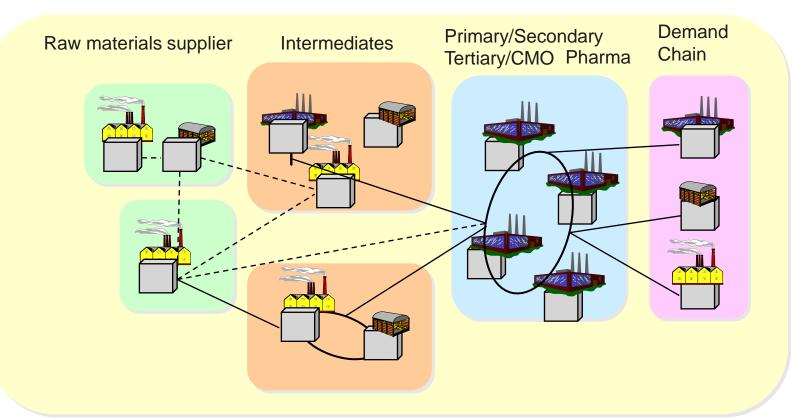
- Supply chain configuration drives opportunity, operational and financial performance:
 - centralised vs decentralised
 - shipment of bulk or fully-filled vaccines to clinics/local fill-finish plants
 - Quality of Service metrics





From serial supply chains to collaborative value networks

Mass vaccination or rapid response to outbreaks translates to Quality of Service by design which in turn requires agile and interconnected supply networks



Makatsoris, H. (2004) et. al. in: Chang, Y., Makatsoris, H., & Richards, H., Evolution of supply chain management: Symbiosis of adaptive value networks and ICT (pp. 483-514), Boston: Kluwer Academic Publisher and Makatsoris H. et. al. (2004) INT. J. COMPUTER INTEGRATED MANUFACTURING, Taylor and Francis, VOL. 17, NO. 8, 679–69

Whole systems design for operational performance and agile response

- Product: host cell, vector optimisation \rightarrow improve productivity & quality
- Manufacturing: downstream separations, formulation, fill-to-finish



繱

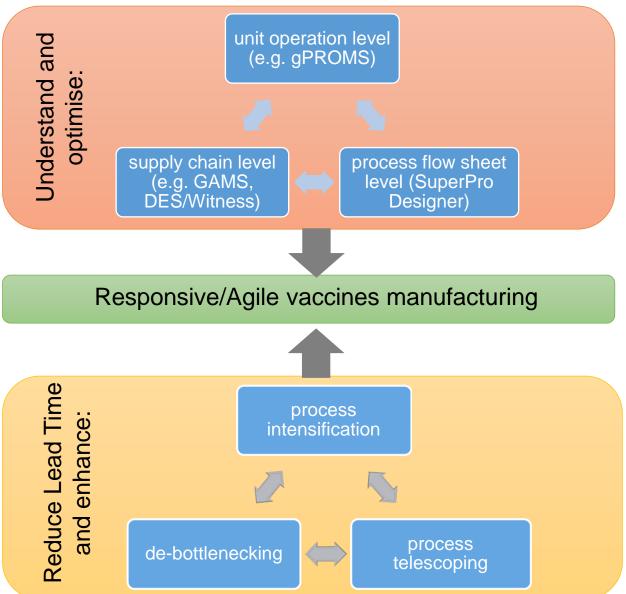
Department

of Health &

Social Care

EPSRC

Engineering and Physical Sciences Research Council







Working together

90% LMIC production: attenuated & inactivated bacterial/virus

• 10% LMIC vaccines: mostly conjugates

Our capabilities

Collaboration

LMIC

capabilities

- modelling, optimising vaccine manufacturing to reduce costs
- model existing LMIC partner capabilities and alternatives

whole process design & optimisation, process intensification

• improve responsiveness, operational flexibility, efficiency, reduce costs







11

Operations Planning

- Balance capacity/supply constraints with demand
- Task coordination (scheduling)
- Plan inventory with uncertain demand
- Optimal setup configuration

Design and Configuration

- Design/assess participation in the distribution chain
- Design and evaluate business models
- Optimise service levels subject to forecasts
- Scenario analysis/anticipate response to outbreaks
- Bioprocess design and delivery spec (packaging)

Execution Control

- Manage complex operation profiles
- Handle a range of process parameters collectively
 with optimal control
- Handle uncertainty in measurements
- Inventory control and tracking

Regulatory & Compliance

- Enhanced process understanding
- Tracking and Monitoring
- Documentation/information exchange for audits
- Coordinate through regulatory diversity



Department

of Health &

Social Care

Key benefits

- Increase manufacturing capacity
- Reduced labour costs
- Set optimal inventory levels and investigate response to outbreaks, rapidly
- Reduce CapEx and possibly footprint
- Design flexibility/agile operations
- Speed to market
- Improved quality through the application of QbD & PAT
- · Assess the effectiveness of continuous manufacturing









Speed	~100,000 vaccine doses, weeks after threat antigen identification		
Cost	low cost, below 1 \$/dose		
Flexibility	on-demand production of a wide range of vaccine types (viral and bacterial)		
Technological complexity	low technological complexity for implementation in developing countries		
Technology readiness	mature technologies with established manufacturing processes		
Ease of scale-up or -out	highly scalable upstream and downstream processes		



EPSRC

Engineering and Physical Sciences Research Council

Thermo-stability of product vaccines stable at 40°C for at least 6 months





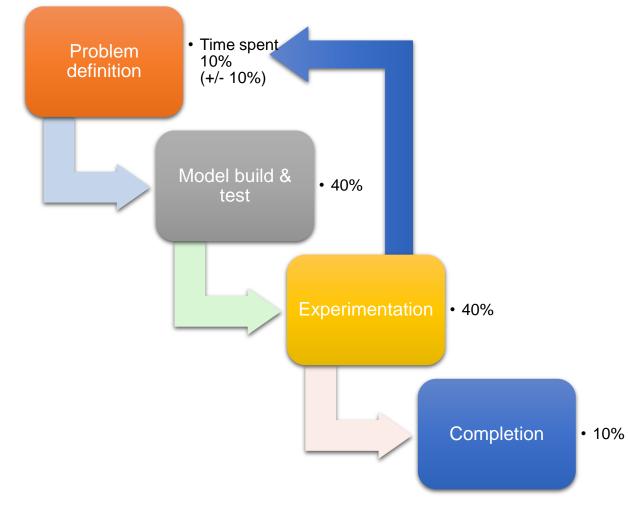
Modelling workflows for decision support



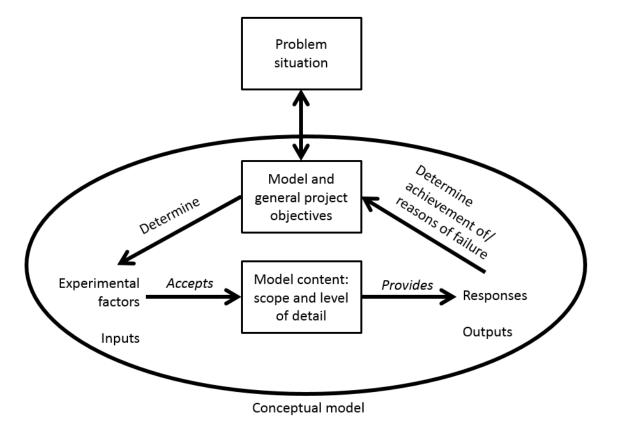




Modelling study project management







5 key activities in Conceptual Modelling

- 1. Understanding the problem domain
- 2. Determining the modelling and general project objectives
- 3. Identifying the model outputs (responses)
- 4. Identifying model inputs (experimental factors)
- 5. Determining the model content (scope and level of detail), identifying and assumptions and simplifications

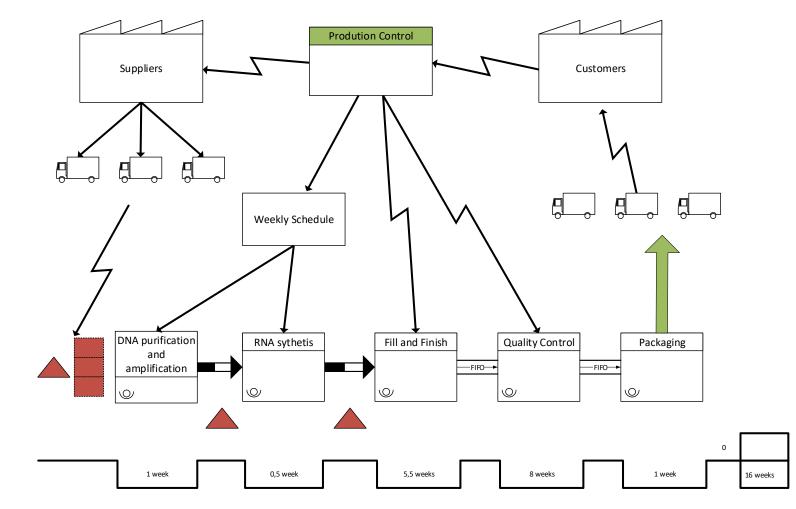
Robinson (2004)

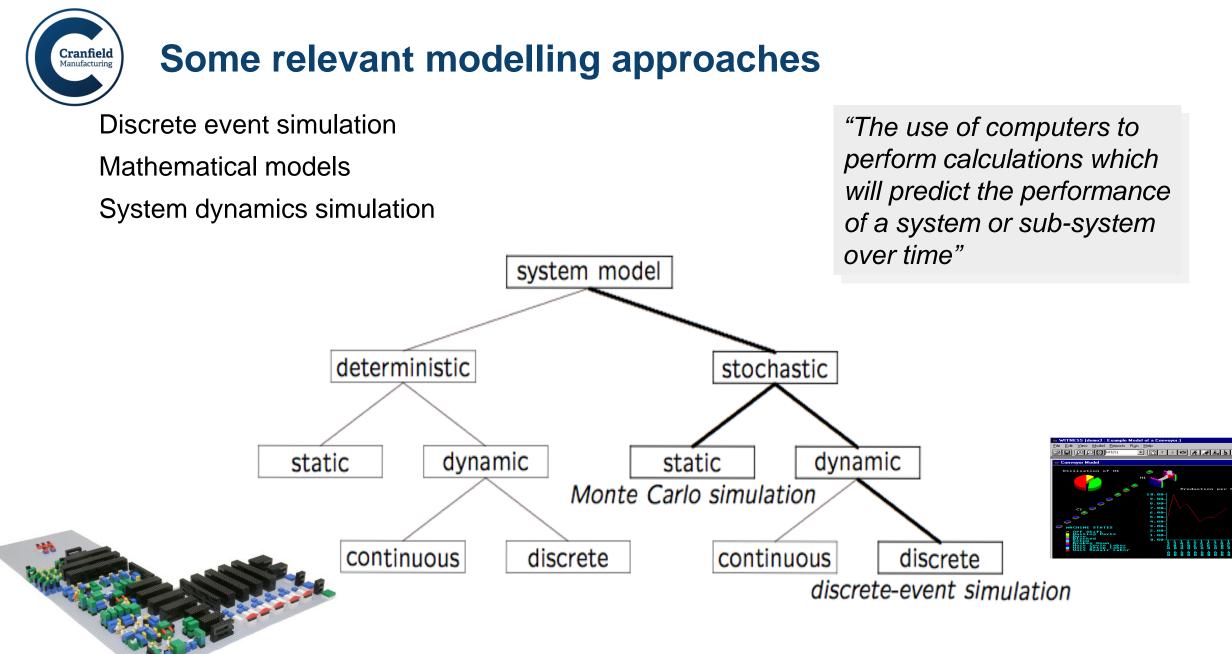


The Supplier, Input, Process, Output, Customer model is a systematic framework that helps capture and summarise one or more processes in table form.

Suppliers	Inputs	Process	Outputs	Demand
Raw Materials	BoM		Production quantities	Patients
	MPS		Costs	Hospital Trusts
	Cycle Times	Value Stroom	Inventory	Governments
	Quantities	Stream M apping	Productivity	Other stakeholders
	Arrival Times		Lead time	
	Costs			
	Quantities			



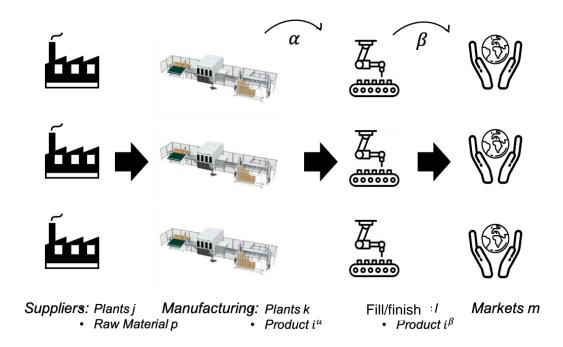


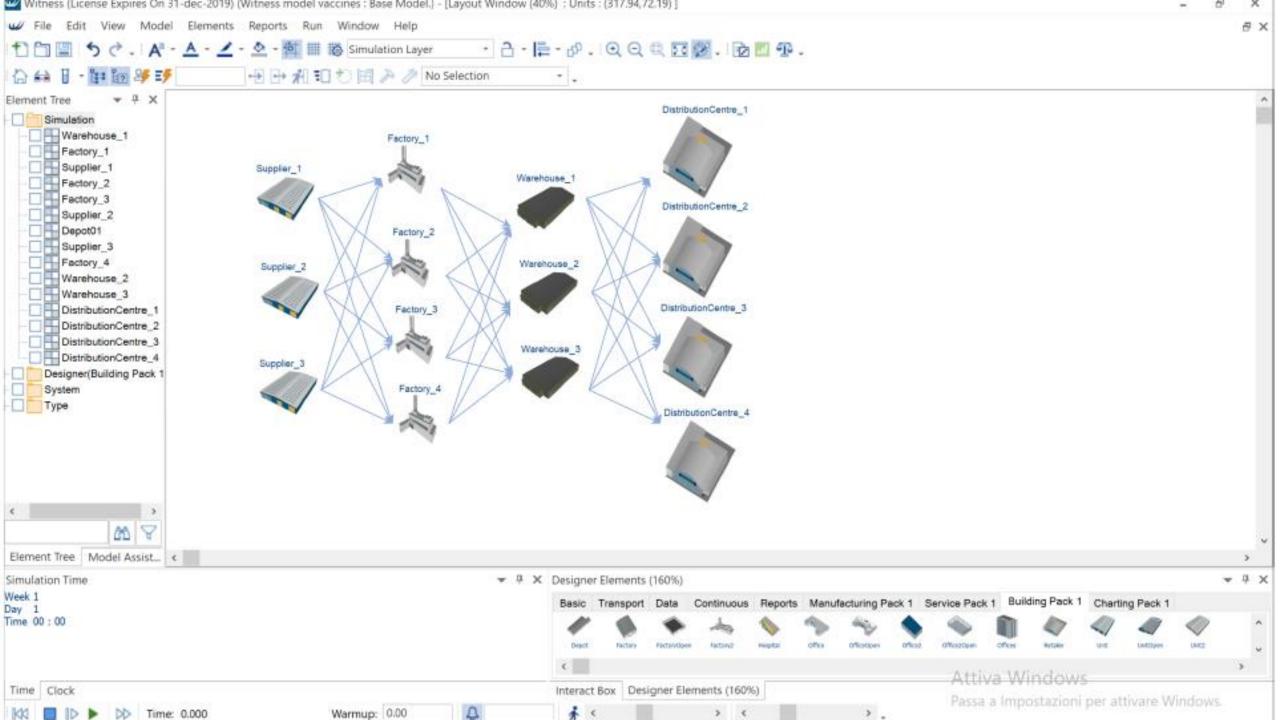




Discrete Event Simulation

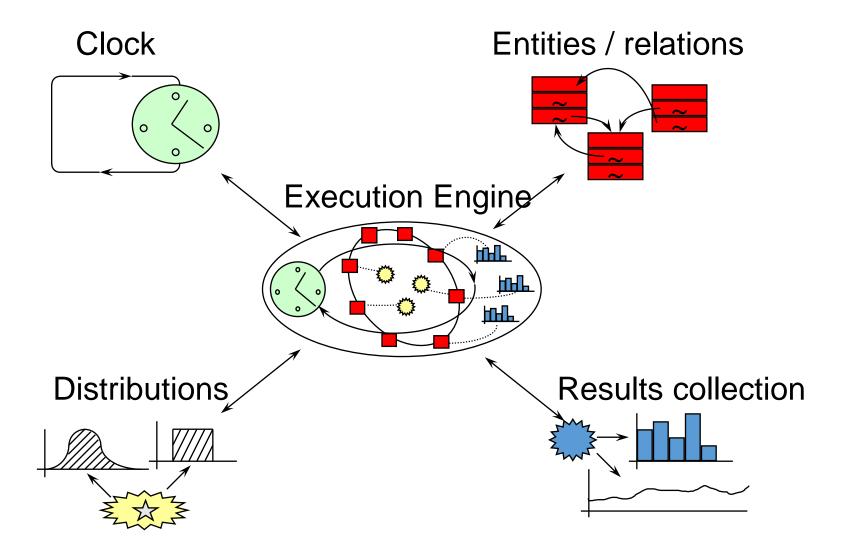
- Discrete-Event Simulation (DES)
- It is simulation involving events (arrival, departure, cycle times, lead times, setups, breakdowns and other inputs) that occur at discrete points in time.
- Flexibility
- What if scenarios Experimentation
- Various levels of detail and granularity
- Dynamic assessment of the manufacturing process
- Ease of scalability
- Stochastic by default
- Intuitive and easy to prepare







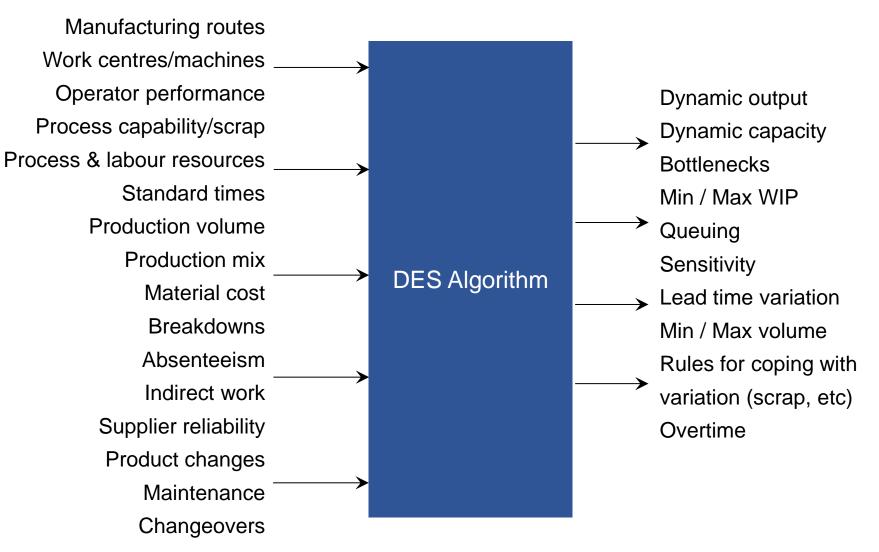
Structure of simulation algorithm



Adapted from Kreutzer

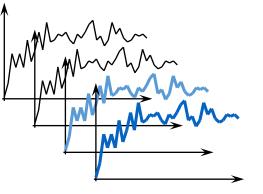


Typical outputs: more than a spreadsheet!





Multiple replications and batching

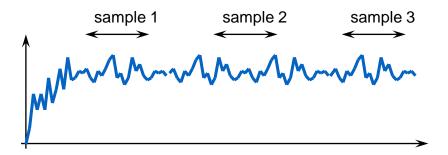


Either: repeat simulation run ~5 times Run-in may take a long time Random numbers may be difficult to modify Possibly some software specific problems

Or: perform one simulation run and use *independent* intervals.

Need to ensure samples are independent Run may not last that long

Cannot save time by using several computers

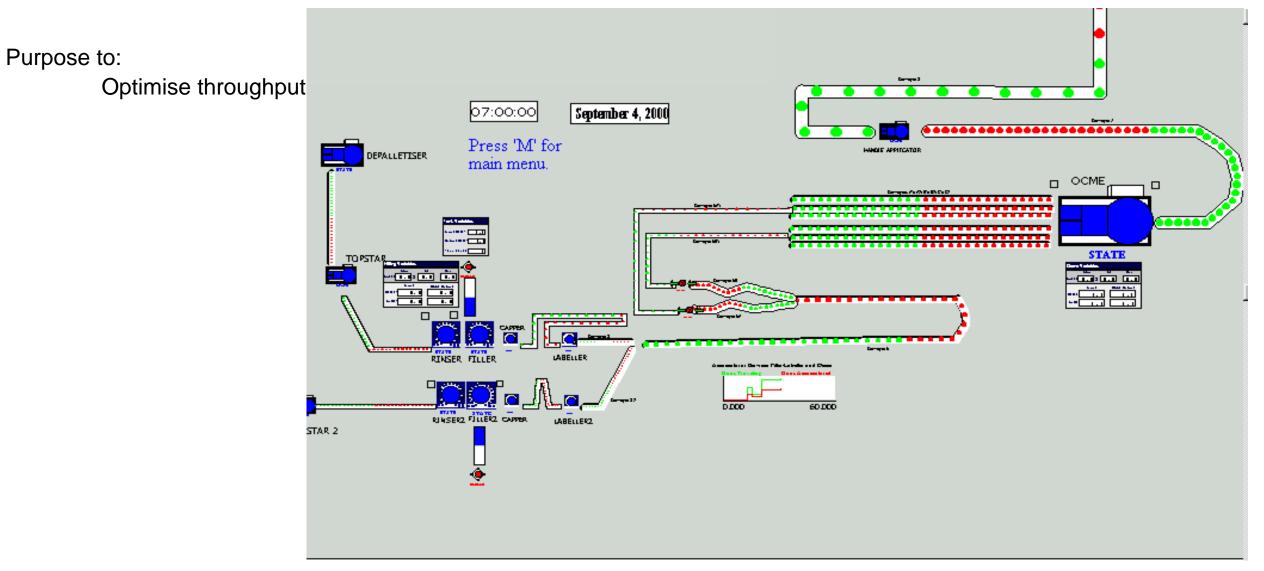


WIP Del'y etc. Run 1 Fun 2 etc. Transition: run-in to equilibrium time 25

Likely operating range

Provides average and range of variation over time

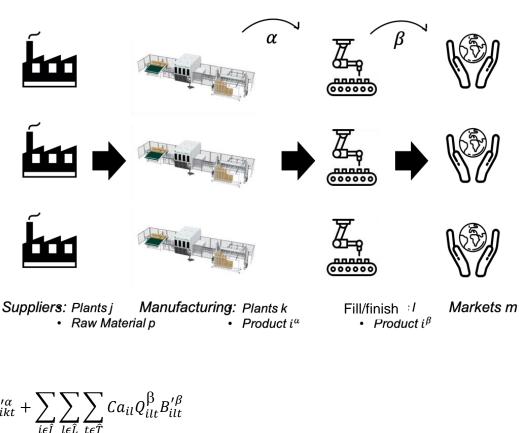






Mathematical modelling for network flow problems: Variables and determining their relationship

minC = LC + TC + PC + IC



$$PC = \sum_{p \in \hat{P}} \sum_{j \in \hat{j}} \sum_{t \in \hat{T}} \left(q_{pjt}^p Q_{pjt}^p \right) + \sum_{i \in \hat{i}} \sum_{k \in \hat{K}} \sum_{t \in \hat{T}} \left(q_{ikt}^{\alpha} Q_{ikt}^{\alpha} \right) + \sum_{i \in \hat{i}} \sum_{t \in \hat{T}} \sum_{t \in \hat{T}} \left(q_{ilt}^{\beta} Q_{ilt}^{\beta} \right) + \sum_{i \in \hat{i}} \sum_{k \in \hat{K}} \sum_{t \in \hat{T}} Ca_{ik} Q_{ikt}^{\alpha} B_{ikt}^{i\alpha} + \sum_{i \in \hat{i}} \sum_{t \in \hat{T}} Ca_{il} Q_{ilt}^{\beta} B_{ilt}^{i\beta}$$

$$TC = \sum_{p \in \hat{P}} \sum_{j \in \hat{J}} \sum_{k \in \hat{R}} \sum_{g \in \hat{G}} \sum_{t \in \hat{T}} \left(w_{pjkgt}^p W_{pjkgt}^p + x_{pjkgt} X_{pjkgt} \right) + \sum_{i \in \hat{I}} \sum_{k \in \hat{R}} \sum_{l \in \hat{L}} \sum_{g \in \hat{G}} \sum_{t \in \hat{T}} \left(w_{iklgt}^\alpha W_{iklgt}^\alpha + y_{iklgt} Y_{iklgt} \right) + \sum_{i \in \hat{I}} \sum_{m \in \hat{M}} \sum_{g \in \hat{G}} \sum_{t \in \hat{T}} \left(w_{ilmgt}^\beta W_{ilmgt}^\beta + z_{ilmgt} Z_{ilmgt} \right)$$

$$IC = \sum_{p \in \hat{P}} \sum_{j \in \hat{J}} \sum_{t \in \hat{T}} \left(h_{pjt}^p l_{pjt}^p \right) + \sum_{k \in \hat{R}} \sum_{i \in \hat{I}} \sum_{t \in \hat{T}} \left(h_{ikt}^{\alpha} l_{ikt}^{\alpha} \right) + \sum_{l \in \hat{L}} \sum_{i \in \hat{I}} \sum_{t \in \hat{T}} \left(h_{lit}^{\beta} l_{lit}^{\beta} \right)$$

 $LC = \sum_{p \in \hat{P}} \sum_{i \in \hat{I}} \sum_{t \in \hat{T}} \left(a_{jt}^p \tau_{pj}^p Q_{pjt}^p \right) + \sum_{i \in \hat{I}} \sum_{k \in \hat{K}} \sum_{t \in \hat{T}} \left(a_{kt}^\alpha \tau_{ik}^\alpha Q_{ikt}^\alpha \right) + \sum_{i \in \hat{T}} \sum_{t \in \hat{T}} \left(a_{lt}^\beta \tau_{il}^\beta Q_{ilt}^\beta \right)$

LC: Labour Cost, TC: Trasportation Cost, PC: Production Cost, IC: Inventory Cost

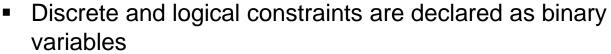
Solving mathematical optimisation models

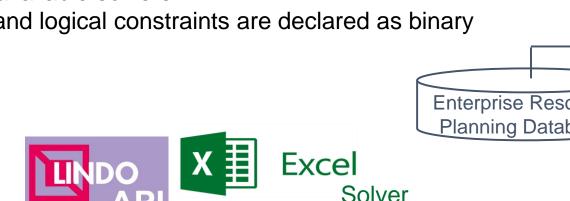
Mixed Integer Linear Programming (MILP)

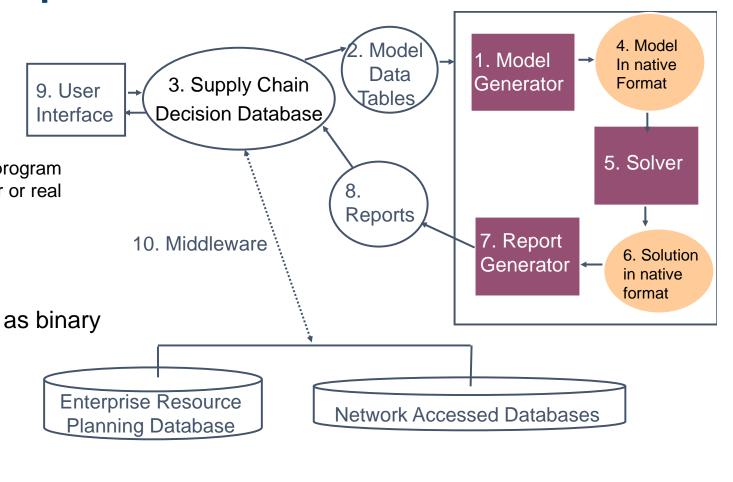
A MILP problem is a mathematical optimisation or feasibility program in which some or all of the variables are restricted to be integer or real numbers

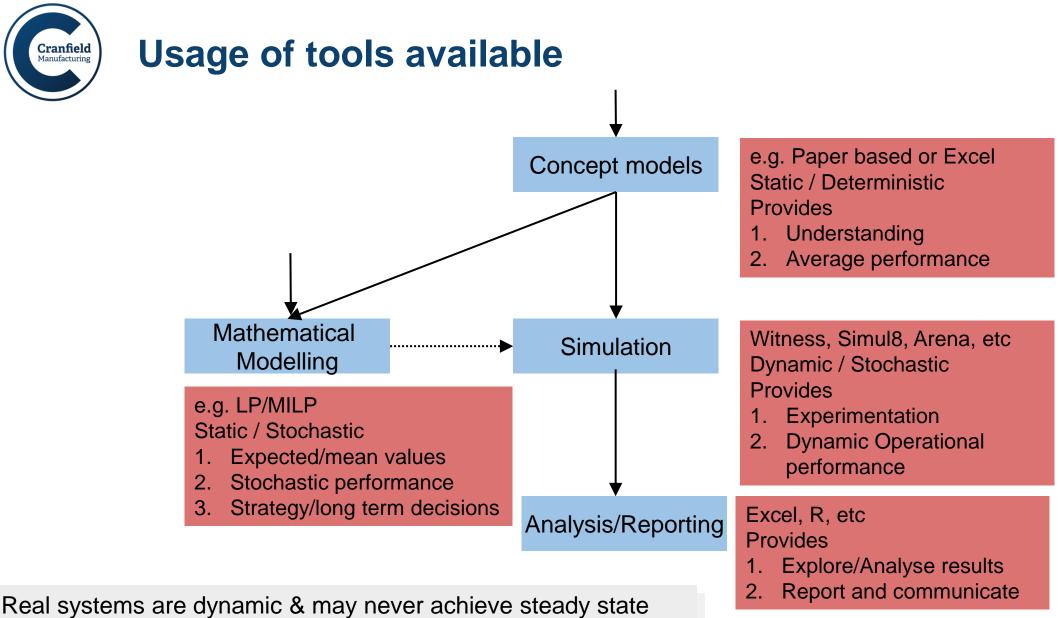
- Suitable for real-world problems
- Different available solvers

Cranfield Manufacturing







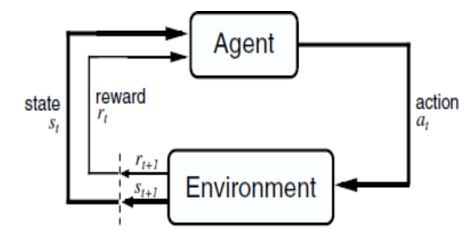


but we frequently analyse them making the assumption they will!



Pushing the envelope: SC design using AI / Reinforcement Learning (RI)

Initialize O(c, a) arbitrarily



What is RL?

- Goal oriented learning
- Requires no prior knowledge of environment
- Learns directly from experiencing the environment without explicit instructions

History of interaction: ($s_t, a_t, r_{t+1}, s_{t+1}, a_{t+1}, r_{t+2}, s_{t+2}, a_{t+2} \dots$)
Information from each interaction (episode): $(s_t a_t, r_{t+1}, s_{t+1})$
Agent attempts to maximise expected rewards: $R_t = r_{t+1} + r_{t+2} + r_{t+3} + \dots + r_{t+k+1}$

Initialize Q (S,a) arbitrarily
Repeat (for each episode):
Initialize s
Repeat (for each step of episode):
Choose a from s using policy derived from Q (e.g. ϵ -
greedy)
Take action a, observe r, s'
$Q(s,a) \leftarrow Q(s,a) + \alpha \left[r + \gamma \max_{a'}(s',a') - Q(s,a)\right]$
$s \leftarrow s';$
Until s is terminal



Case study: Impact of Novel Manufacturing Techniques on the Kenyan Supply Chain

www.cranfield.ac.uk



Supply chain modelling case introduction

- Kenyan vaccine supply chain optimization model results
- Mixed Integer Linear Programming (MILP) problem comparing our 4 manufacturing platforms
- Conventional vs intensification for distributed manufacturing
- 3 storage levels considered
- Choice of manufacturing facilities in Kenya, Ethiopia and USA
- Objective: Maximise Profit



Z Kis, M Papathanasiou, R Calvo-Serrano, C Kontoravdi, N Shah. JAMP. Submitted Mar 2019.

	00000	-0-	Sta Sta	A FX de	4	Manufacturing Facilities
	RNA	n Meast	customVL	P customOM	v	M1, Kenya M2, Ethiopia M3, USA
Small scale	0.2	100	100	100	L	24 h delivery: 0.003 0.44 0.69 f
Batch duration	2.5	10.4	18	4	days	48 h delivery: 0.001 0.15 0.25 5 8 3 d delivery: 0.0005 0.07 0.11 5 8 5 d delivery: 0.0002 0.04 0.06 8
Capacity	2 × 10 ⁶ (3 × 10 ⁶)	13 × 10 ⁶ (27 × 10 ⁵)	9 × 10 ⁶ (18 × 10 ⁶)	9 × 10° (18 × 10°)	$\frac{dases}{mth}$	[N1] National Store in Nairobi, Kenya
CapEx (204,104 (136,718)	224,566 (111,733)	346,354 (176,079)	116,577 (59,646) f	USD ac × mth	CapEx: 16,799.51 USD × facility ⁻¹ × month ⁻¹ OpEx: 0.0042 USD × Dose ⁻¹ Capacity: 3,099,888 doses × month ⁻¹
ОрЕх	0.200 (0.136)	0.082 (0.032)	0.18 (0.072)	0.124 (0.055)	USD døse	24 h delivery: 0.1 48 h delivery: 0.010 5 d delivery
	NNN	hYaast	customM.	P customOM	1	
	RNA	T1Psad55	COSCIENT.	CUSION/OW	¥.	(R) Regional Stores in Kenya
-		500	500	500	L	(R) Regional Stores in Kenya CapEx: 1870.85 USD × facility ¹ × month ¹ OpEx: 0.02 USD × Dose ¹ Capacity: 326-306 doses × month ³
Large scale Batch duration						CapEx: 1870.85 USD × facility ¹ × month ¹
Batch	1	500	500	500	L	CapEx: 1870.85 USD × facility ¹ × month ¹ OpEx: 0.02 USD × Dose ⁻¹ Capacity: 326,304 doses × month ⁻¹
Batch duration	1 2.5	500 13	500 20	500 4.6	L days doses mth USD	CapEx: 1870.85 USD × facility ¹ × month ¹ OpEx: 0.02 USD × Dose ⁻¹ Capacity: 326,304 doses × month ⁻¹ 24 h delivery: 0.05 48 h delivery: 0.05 0.034 5/10 ⁴ doses/month 0.008
Batch duration Capacity	1 2.5 11×10 ⁶	500 13 53×10 ⁶	500 20 38 × 10 ⁶	500 4.6 36 × 10 ⁶	L days doses mth USD	CapEx: 1870.85 USD × facility ¹ × month ¹ OpEx: 0.02 USD × Dose ⁻¹ Capacity: 326,304 doses × month ⁻³ 24 h delivery: 0.05 48 h delivery: 0.05 0.034 0.034 0.008 0.008 0.008
duration Capacity CapEx	1 2.5 11×10 ⁶ 415,739	500 13 53×10 ⁶ 284,991 0.024 Batch	500 20 38 × 10 ⁶ 431,395 0.065	500 4.6 36 × 10 ⁶ 176,991 7	L days doses mth USD ac × mth USD	CapEx: 1870.85 USD × facility ¹ × month ¹ OpEx: 0.02 USD × Dose ⁴ Capacity: 326,304 doses × month ³ 24 h delivery: 0.05 48 h delivery: 0.05 5 d delivery: 0.015 5 d delivery: 0.015 0.034 0.034 0.034 0.034 0.004
Batch duration Capacity CapEx	1 2.5 11 × 10 ⁶ 415,739 0.151 Scal e	500 13 53×10 ⁶ 284,991 0.024 Batch duration	500 20 38 × 10 ⁶ 431,395 0.065	500 4.6 36 × 10 ⁶ 176,991 7 0.033	L days mth USD ac × mth USD dose	CapEx: 1870.85 USD × facility ¹ × month ¹ OpEx: 0.02 USD × Dose ⁴ Capacity: 326,304 doses × month ⁻³ 74 h delivery: 0.05 48 h delivery: 0.05 5 d delivery: 0.015 48 h delivery: 0.06 0.034 0.034 0.00800000000



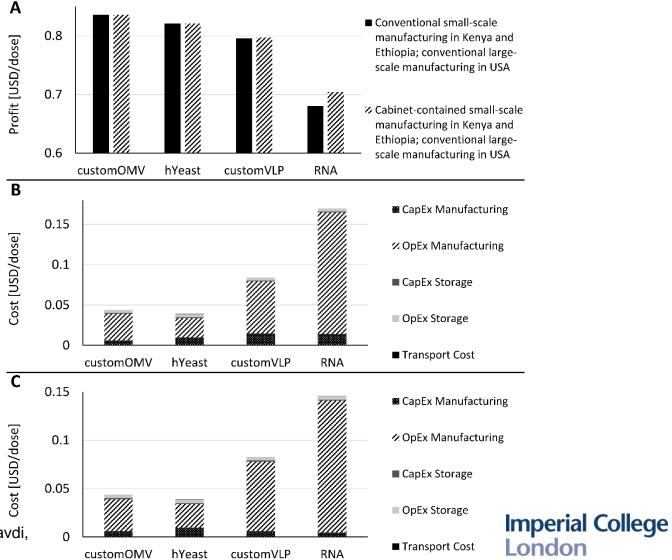
How the MILP model looks like

$\max NPV = \sum_{v} \sum_{d} \sum_{h} \sum_{i} \sum_{t} SINH_{vdhjt} \cdot Revenue - TCM_{m} - TCS_{S} - TCT_{T}$	E1
<i>s.t</i>	
$TC_m = \sum_m CCM_m \cdot E1_m + \sum_{vmt} FIN_{vmt} \cdot COM_m$	E2
$TC_{S} = \sum_{n} CCN_{n} \cdot E2_{n} + \sum_{r} CCR_{r} \cdot E3_{r} + \sum_{d} CCD_{d} \cdot E4_{d} + \sum_{vnt} CON_{n} \cdot FIN_{vnt} + \sum_{vnt} COR_{r} \cdot FIN_{vrt} + \sum_{vdt} COD_{d} \cdot FIN_{vnt}$	E3
$TC_{T} = \sum_{vmnjt} Y 1_{vmnjt} \cdot TT_{j} \cdot U 1_{mnj} + \sum_{vnrjt} Y 2_{vnrjt} \cdot TT_{j} \cdot U 2_{nrj} + \sum_{vrdjt} Y 3_{vrdjt} \cdot TT_{j} \cdot U 3_{rdj} + \sum_{vdhjt} Y 4_{vdhjt} \cdot TT_{j} \cdot U 4_{dhj}$	E4
$FINM_{vmt} = FOUTM_{vmt+TM}$, $FINN_{vnt} = FOUTN_{vnt+TSN}$, $FINR_{vrt} = FOUTR_{vrt+TSR}$, $FIND_{vdt} = FOUTD_{vdt+TSD}$	E5
$SINN_{vmnjt} = SOUTM_{vmnjt+TT_j}$, $SINR_{vrnjt} = SOUTN_{vnrjt+TT_j}$, $SIND_{vdrjt} = SOUTR_{vrdjt+TT_j}$, $SINH_{vdhjt} = SOUTD_{vdhjt+TT_j}$	E6
$\sum_{v} FINM_{vmt} \leq CAPMM_{mt}$, $\sum_{v} FINN_{vnt} \leq CAPMN_{nt}$, $\sum_{v} FINR_{vrt} \leq CAPMR_{rt}$, $\sum_{v} FIND_{vdt} \leq CAPMD_{dt}$	E7
$X1_{mn} \le E1_m, X1_{mn} \le E2_n, X2_{nr} \le E2_n,$	E8
$\begin{aligned} X2_{nr} \leq E3_r, X3_{rd} \leq E3_r, X3_{rd} \leq E4_d, X4_{dh} \leq E4_d \\ Y1_{vmnjt} \leq X1_{mn}, Y2_{vnrjt} \leq X2_{nr}, Y3_{vrdjt} \leq X3_{rd}, Y4_{vdhjt} \leq X4_{dh} \end{aligned}$	E9
$\sum_{j} Y 1_{vmnjt} \leq 1, \sum_{j} Y 2_{vnrjt} \leq 1, \sum_{j} Y 3_{vrdjt} \leq 1, \sum_{j} Y 4_{vdhjt} \leq 1$	E10
$egin{aligned} S^{min} \cdot Y1_{vmnjt} &\leq SOUT_{vmnjt} \leq S^{max} \cdot Y1_{vmnjt}, \ S^{min} \cdot Y2_{vnrjt} &\leq SOUT_{vnrjt} \leq S^{max} \cdot Y2_{vnrjt}, \ S^{min} \cdot Y3_{vrdjt} &\leq SOUT_{vrdjt} \leq S^{max} \cdot Y3_{vrdjt} \ , \end{aligned}$	E11
$S^{min} \cdot Y4_{vdhjt} \leq SOUT_{vdhjt} \leq S^{max} \cdot Y4_{vdhjt}$	



Supply chain modelling results

- Kenyan vaccine supply chain optimization model results.
- A. Supply chain profitability: centralized large-scale vs intensified local manufacturing. Revenue = 1 USD/dose.
- B.Cost categories for optimal supply chain configuration showed by solid black bars in part A.
- C.Cost categories for optimal supply chain configuration showed by stripped bars in part A.





EPSRC Z Kis, M Papathanasiou, R Calvo-Serrano, C Kontoravdi, Engineering and Physical Science N Shah. JAMP. Submitted Mar 2019.



Supply chain modelling results

•The effect of facility location on cost per dose.

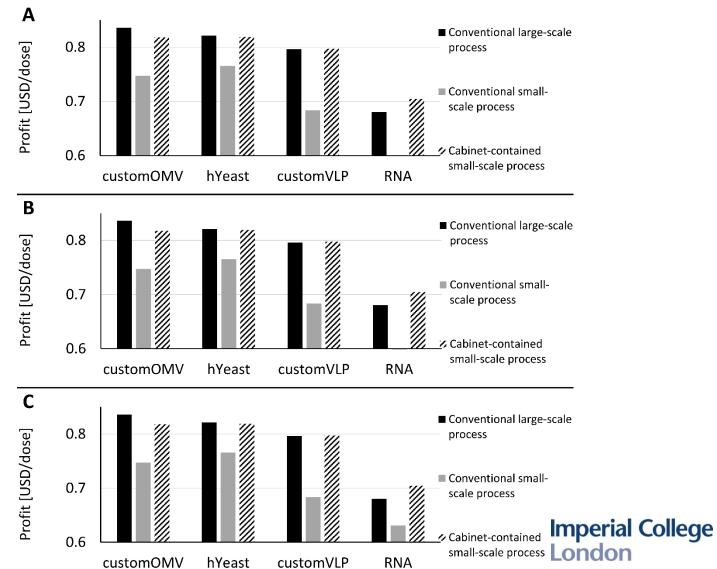
A.Facilities in USA only.

B.Facilities in Kenya only.

C.Facilities at the most optimal location chosen by the model (i.e. USA, Kenya or Ethiopia).



Z Kis, M Papathanasiou, R Calvo-Serrano, C Kontoravdi, N Shah. JAMP. Submitted Mar 2019.





Comparison: emerging vs conventional technologies

Metric	Emerging platform- based production	Conventional production	
Speed*	weeks	years	
Cost per dose	below 1 USD/dose	variable	
Capital investment	tens of million USD	hundreds of million USD	
Flexibility	wide product range	single product	
Scalability	Scale-up and -out	Scale-up	
Thermostability**	without cold chain	With cold chain	



EPSR

Research Council

Engineering and Physical Sciences

****** thermostability of the product

* speed for producing ~100,000 doses of a new vaccine after antigen identification

37





Adaptive, Modular, Responsive to Disease X.



It is in our remit to work together with industry

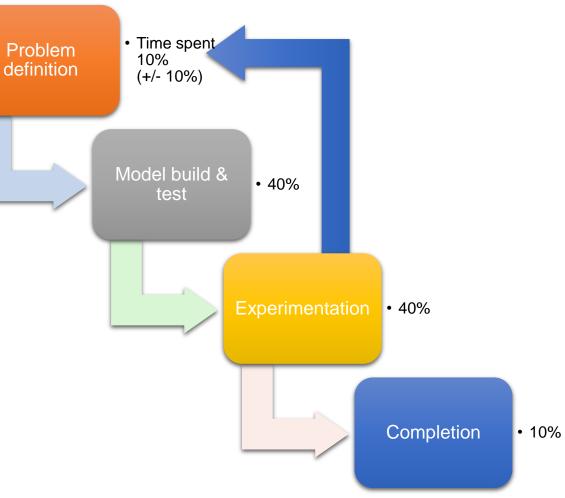
Engage in confidential or collaborative projects demonstrating value

We use industrial strength tools to model and analyse cases

We use established project methodologies

- 1. Project initiation
- 2. Model build, verification and validation
- 3. Experimentation and analysis
- 4. Solution deployment/Implementation

Get in touch with me directly or Dr Ben Pierce <u>b.pierce@imperial.ac.uk</u>, our Hub's Manager





Thank you







h.makatsoris@cranfield.ac.uk



https://www.cranfield.ac.uk/people/professor-harris-makatsoris-14023921